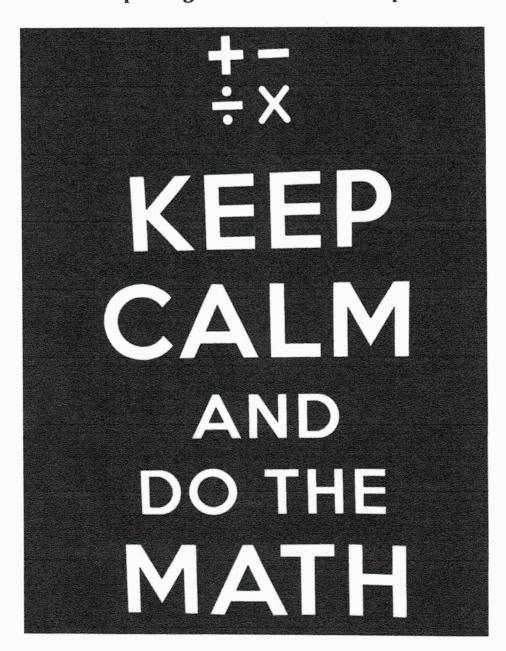
NOMBRE:	

P.A.T Prep

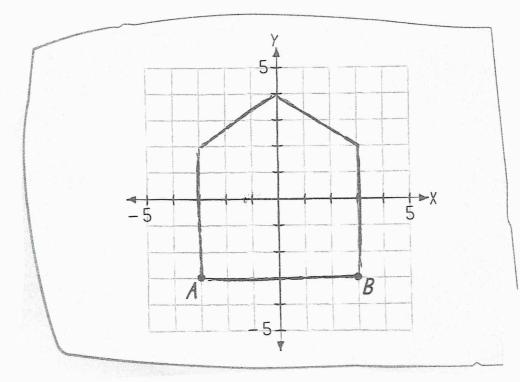
Graphing Linear Relation's
Relations From Tables and Graphs
Interpreting Linear Relation Graphs



St. Brendan School Mr. Martínez

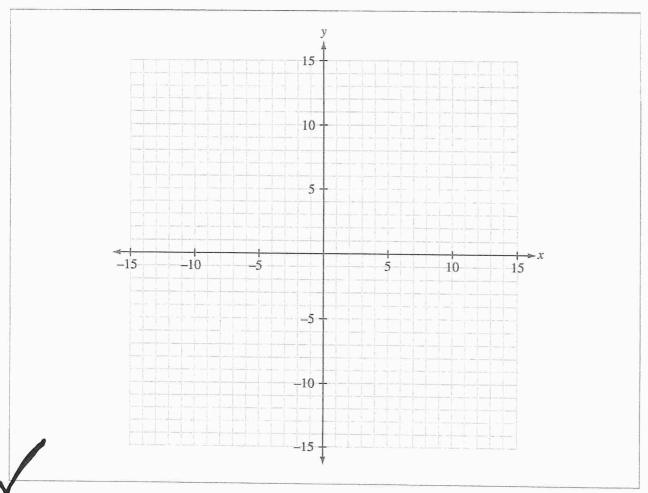
EQUATION X= 2 (1 Variable) EQUATION Y= 4 FOURTION Y= 4 FOURTON Y= 4 FOURTON Y= 4

Carly drew a design on the Cartesian plane shown below.



- **A.** y = -3
- **B.** y = 3
- C. x = -3
- **D.** x = 3
- **33.** Which of the following equations describes line segment *AB* on the Cartesian plane shown above?

When Given an EQUATION and NO GRAPH + MAKE A TABLE OF VALUE



- 24. The graphs of the relations 3x + y = 17 and y = x + 1 intersect at the point with the coordinates
 - A. (0, 1)
 - **B.** (3, 8)
 - C. (4, 5)
 - \mathbb{D} . (5, 4)

UNLESS TOLD OTHERWISE, USE X=0,1,2,3

For
$$3x+y=17$$
 0
 17
 1
 1
 2
 3

FOR
$$y=X+1$$
 $\frac{X}{0}$
 $\frac{1}{2}$
 $\frac{3}{3}$

Relations From TABLES

STRATEGY 1 (EASIEST)

- on the table
- each of the answers.
- · Only one, the Right one will match!

Raj saves a part of his earnings each week. He uses the pattern below to decide how much of his weekly earnings he will save.

Weekly Earnings (e)	Weekly Savings (s)
\$10	\$7
\$12	\$8
\$14	\$9
\$16	\$10

11. Which of the following equations could represent the relationship between Raj's weekly savings, s, and his weekly earnings, e?

A.
$$s = e - 3$$

B.
$$s = e - 6$$

C.
$$s = 2.0(e - 5) - 3$$

$$D. \quad s = 0.5(e + 10) - 3$$

STRATEGY 2

- . Notice that 5 goes up by 1.
- . Using First pair

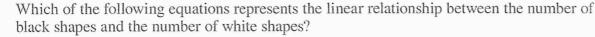
- Second term is - 3

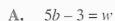
$$2aiR 1 = 10 = 7$$
 $2aiR 1 = 10 = 3$
 $A \cdot 7 = 10 - 6 \times 10 - 5$
 $A \cdot 7 = 10 - 6 \times 10 - 5$
 $A \cdot 7 = 10 - 6 \times 10 - 5$
 $A \cdot 7 = 0.5(10 + 10)$
 $A \cdot 8 = 12 - 3 \times 10$
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 $A \cdot 8 = 11 - 3 \times 10$
 $A \cdot 8 =$

David creates the table of values shown below based on designs he assembles using black and white 2-D shapes.

	1
\checkmark	

Number of Black Shapes (b)	Number of White Shapes (w)
2	7
3	9
4	11





B.
$$4b - 1 = w$$

C.
$$3b + 1 = w$$

D.
$$2b + 3 = w$$



An art store is having a sale. The table below shows the regular price, r, and the sale price, s, of several items.

Item	Regular Price (r)	Sale Price (s)
Glue	\$5.00	\$4.25
Brushes	\$7.00	\$5.95
Paper	\$10.00	\$8.50
Crayons	\$12.00	\$10.20

11. Which of the following equations was used to calculate the sale prices?

A.
$$s = 0.15r$$

B.
$$s = 0.85r$$

C.
$$s = r - 0.75$$

D.
$$s = r - 0.85$$

Members of a recreation centre pay a one-time registration fee in addition to a fixed monthly fee of \$15. The following table shows the total amount paid to be a member of the centre for a certain number of months.

Number of Months	Total Amount Paid
4	\$135 7 00 \$ 10 321
6	\$165 & ans more
12	\$255

\$ 40 For 4 months

Numerical Response

1. According to the information above, what is the cost of the one-time registration fee?

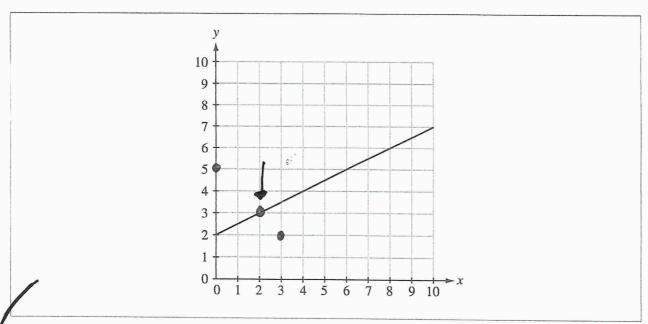
Answer: _____ dollars

The following graph represents a linear relation. 16 14 12 10 8

the proporte

Numerical Response

Based on the linear relation shown above, when the y-coordinate is 3, the x-coordinate



The line created by the relation y = 5 - x will intersect the line shown on the graph 30. above at

- A. (0, 5)
- (5, 0)
- C. (2, 3)
- D. (3, 2)

ometimes ... Making a

15 THE WA

Nathan completed a 5 km run on his first day of training for a cross-country race. He increased the length of his next training runs by 1.5 km each time.

Which of the following equations could be used to determine the distance (d) that Nathan ran on each training run (r)?

A.

d = 1.5r

STRATEGY: MAKE IT FOR YOURSELF

B. d = 5r

C. d = 1.5 + 3.5r

D. d = 3.5 + 1.5r

and Start With 1

Day 1 - 5 Km

Run 2 - 6.5 Km) - Now try substitution

Run 3 - 8 Km

Ry Run 3 D. dz3.5 + 1.5r 8 = 3.5 + 1.5(3)

8= 3.5+4.5 => 18=8

A. 5=1.5(1) X

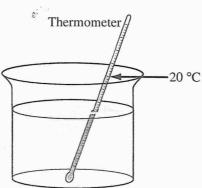
B. 6.5= 5(2) X

C. 65 = 1.5 + 3.5(2)

D. 6.5= 3.5+1.5(2)

In a science experiment, a solution has an initial temperature of 20 °C, as shown below.





If the temperature, T, of the solution drops 2.8 °C/h, then which of the following equations can be used to calculate the temperature of the solution after 4 hours?

A. $T = 20 \, ^{\circ}\text{C} - (2.8 \, ^{\circ}\text{C/h} \times 4 \, \text{h})$

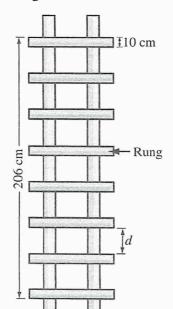
 $T = 20 \, ^{\circ}\text{C} + (2.8 \, ^{\circ}\text{C/h} \times 4 \, \text{h})$

 $T = (20 \, ^{\circ}\text{C} - 2.8 \, ^{\circ}\text{C/h}) \times 4 \, \text{h}$

D. $T = (20 \, ^{\circ}\text{C} + 2.8 \, ^{\circ}\text{C/h}) \times 4 \, \text{h}$



A ladder with equally spaced rungs is shown below.



* d represents distance between rungs

Which of the following equations can be used to calculate the distance, d, between each ladder rung?

A.
$$d = 206 - 8(10) \div 7$$

B.
$$d = 206 - 8(10) \times 7$$

C.
$$d = \frac{7}{206 - 8(10)}$$

$$\mathbb{D}. \quad d = \frac{206 - 8(10)}{7}$$

Đ.

A truck heads north at a constant speed of 80 km/h. A car leaves 20 minutes later heading north along the same road and travelling at a constant speed of 90 km/h.

2. Which of the following equations could be used to determine how much time in hours, t, the car travels until it catches up to the truck?

A.
$$90t = 80\left(t - \frac{1}{3}\right)$$

B.
$$90t = 80\left(t + \frac{1}{3}\right)$$

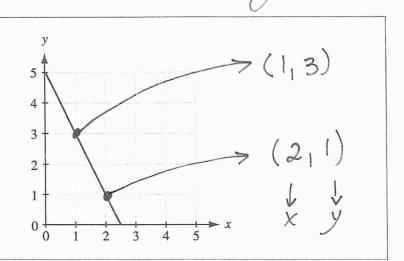
C.
$$90t = 80(t - 20)$$

D.
$$90t = 80(t + 20)$$

Relations FROM GRAPHS

STRATEGY

- · From the graph, choose 2 ordered pairs
- · Substitute on each possible answer given (mas)

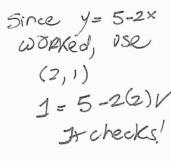


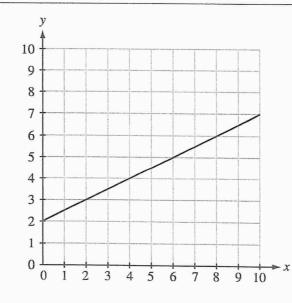
Use the pairs that are the easiest to

- 36. Which of the following equations represents the relationship between the variables x and y in the graph shown above?
 - $\mathbf{A.} \quad y = 5 2x$
 - B. y = 2x 5
 - $\mathbb{C}. \quad y = 5 x$
 - **D.** y = x 5

3=5-1 ×

3=1-5 ×



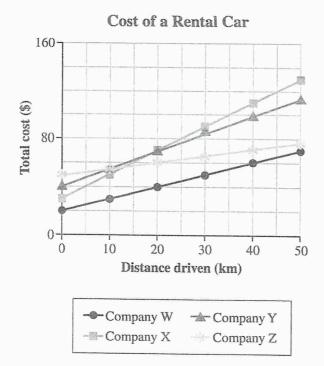


- **A.** y = 0.5x + 2
- B. y = 0.5x 2
- C. y = 2x + 4
- $\mathbb{D}. \quad y = 2x 4$

38. The equation representing the linear relation on the graph shown above is

INTERPRETING LINEAR REL. GRAPHS

The cost of renting a car includes the base fee and a charge for each kilometre driven. The graph below represents the total cost of renting a vehicle at four different rental car companies.



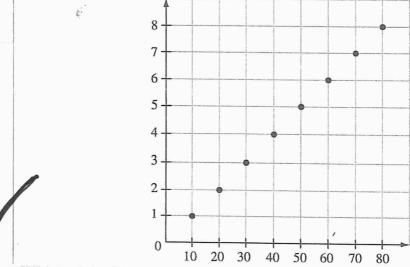
Which rental car company has the smallest charge for each kilometre driven?

A. Company W

13.

- B. Company X
- C. Company Y
- D. Company Z

Various points have been plotted on the graph below. The title of the graph and the labels of the axes have been omitted.



- 33. Which of the following statements is a possible interpretation of the graph above:
 - A. Nicole earns \$20 for each hour she works.
 - B. For every 10 swimmers, 2 lifeguards are needed.
 - C. For every 10 pieces of candy Simone buys, she pays \$1.
 - D. A runner runs at a constant eneed of 2 km every 30 minutes