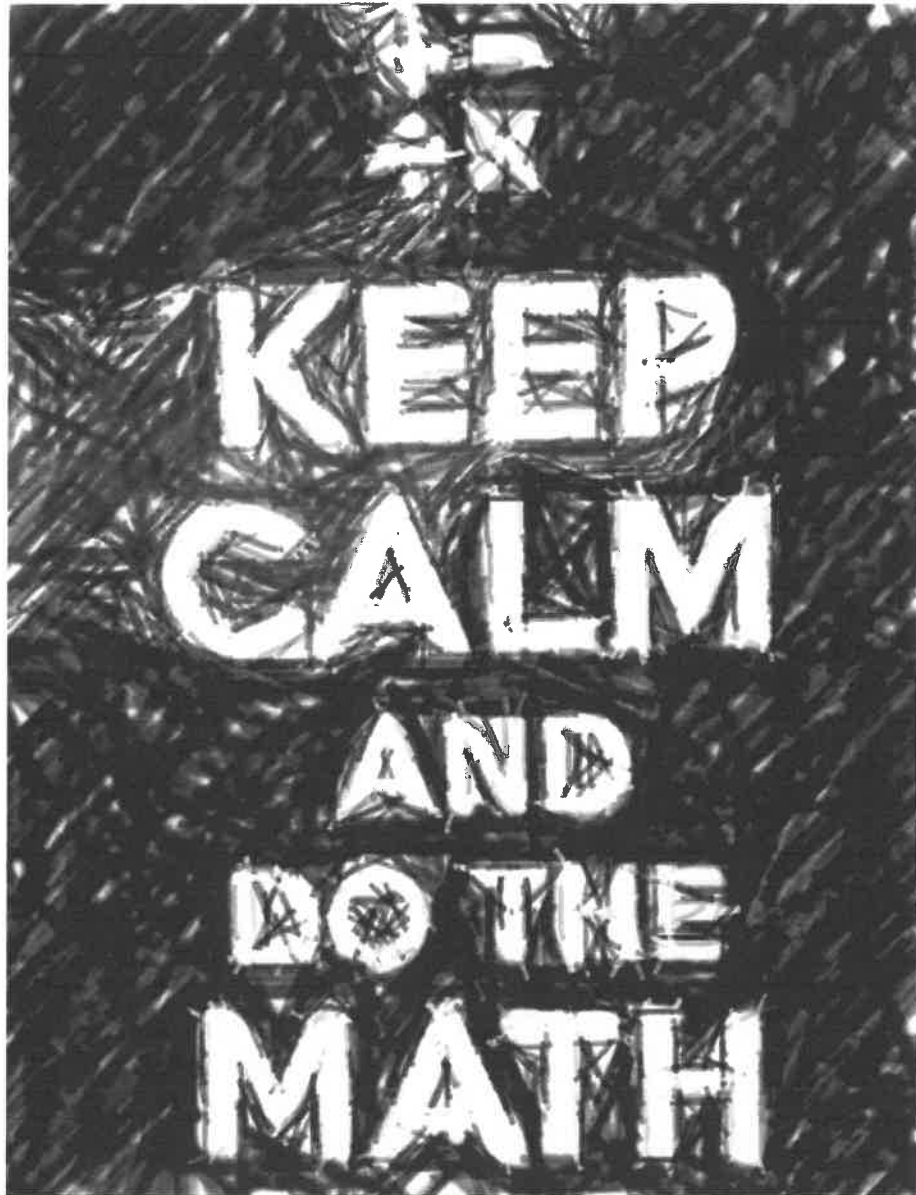


NAME: \_\_\_\_\_

# Math P.A.T. Prep

## *Inequalities* - SOLUTIONS



St. Brendan School  
Mr. Martínez

# INEQUALITIES

• solve exactly as you would solve equations.  
1 exception

The cost of a team banquet is \$200 for the room rental and \$15 per person,  $n$ , for the meal. All taxes are included in these costs. The team has a maximum budget of \$650 for the banquet.

20. The inequality that can be used to determine how many people can attend is

A.  $15n + 200 > 650$

B.  $15n + 200 < 650$

C.  $15n + 200 \geq 650$

D.  $15n + 200 \leq 650$

- \$200 → flat fee
  - Cost per person → \$15n
  - Team has to spend \$650 or less
- $15n + 200 \leq 650$   
has to be less or equal to 650

## Numerical Response

8. How many whole numbers could represent the value of  $x$  in the inequality statement  $\frac{1}{4} < \frac{3}{x} < 0.5$ ?

Answer: 5 whole numbers

(Record your answer in the numerical-response section on the answer sheet.)

$\frac{1}{4} < \frac{3}{x} < \frac{1}{2}$   
0.25                      0.50

7, 8, 9, 10, 11

Use the following information to answer question 20.

Chantal receives a \$50 gift card to join the online music store shown below.

**New Tunes**  
\$5.00 sign-up fee  
\$0.99 per song



20. Which of the following inequalities can be used to determine the maximum number of songs that Chantal can purchase with her gift card?

A.  $50 \geq 5 + 0.99x$

B.  $50 > 5 + 0.99x$

C.  $50 \leq 5 + 0.99x$

D.  $50 < 5 + 0.99x$

- Chantal can NOT spend more than \$50 (but can \$50)
- \$50 has to be equal or less to the \$5 sign-up fee plus  $0.99x$

Kristy received a speeding ticket for travelling above the posted limit.



6. The solution to the inequality  $6 - x > -1$  is

$$-x > -7$$

$$\frac{-x}{-1} > \frac{-7}{-1}$$

$$x < 7$$

A.  $x < 7$

B.  $x > 7$

C.  $x < -7$

D.  $x > -7$

$$6 - x > -1$$

$$-x > -1 - 6$$

$$-x > -7$$

BUT, anytime we multiply or divide by a neg. #, we switch the neg.

she must have been going above 100 km/h

12. The inequality that shows the speed,  $s$ , that Kristy was travelling at is

A.  $s \leq 100$  km/h

B.  $s < 100$  km/h

C.  $s \geq 100$  km/h

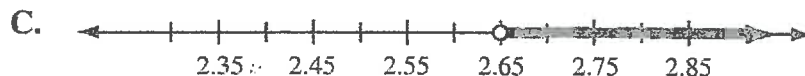
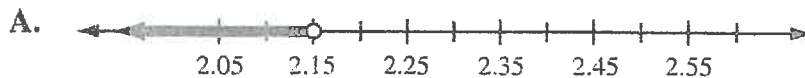
D.  $s > 100$  km/h

Aaron buys a cheeseburger for \$6.50 and a container of milk for \$0.80. Sam buys a tossed salad and a bowl of soup. The soup costs \$2.00 more than the salad. Sam's meal is less expensive than Aaron's meal.

Aaron  
\$6.50 + 0.80

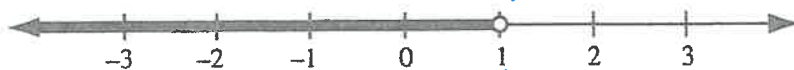
Sam  
soup + salad  
(2sa) + sa  
 $2 + 2sa < 7.3$   
 $2sa < 5.3$   
Salad <  $\frac{5.3}{2}$   
Salad < 2.65

2. Which of the following number lines could represent the price of Sam's salad?



the salad has to cost less than \$2.65

An inequality is shown on each number line below.



1 not included

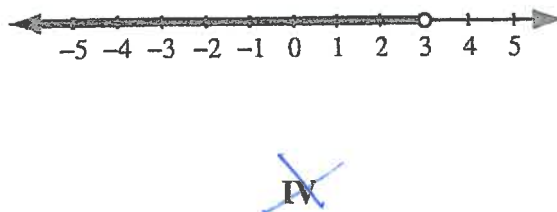
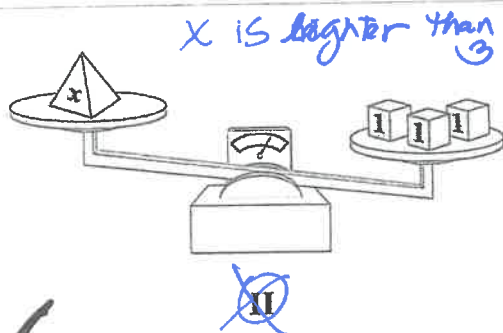
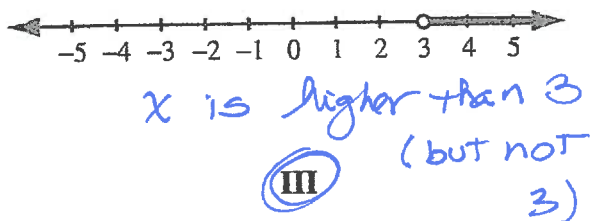
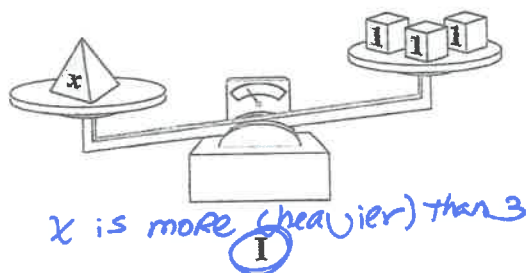
less than 1 but equal or higher to -1

5. Which expression represents the values ( $n$ ) that are part of both inequalities?

A.  $-1 \leq n \leq 1$

B.  $-1 \leq n < 1$

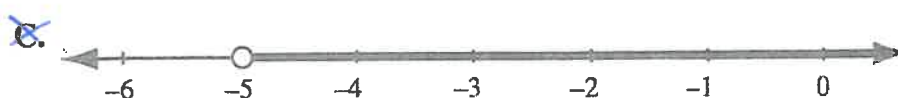
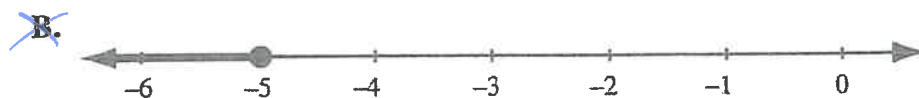
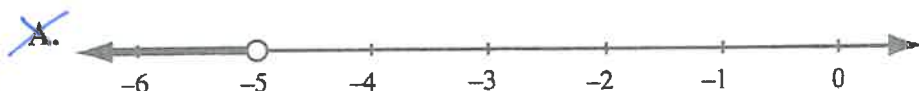
C.  $-1 < n \leq 1$



24. The two diagrams shown above that **both** represent the inequality  $x > 3$  are numbered

- A. I and III
- B. I and IV
- C. II and III
- D. II and IV

8. Which of the following number lines represents the solution to the inequality  $5x - 3 \leq 7x + 7$ ?



$$5x - 3 \leq 7x + 7$$

$$\begin{array}{r} 5x - 3 \leq 7x + 7 \\ -5x \quad -5x \end{array}$$

$$\begin{array}{r} -3 \leq 2x + 7 \\ -7 \quad -7 \end{array}$$

$$-10 \leq 2x$$

$$-5 \leq x$$

$x$  is greater and/or equal to -5

Sandy has a budget of \$100 to spend on back-to-school clothes. The shirts she wants to buy are \$12 each, and the pants she wants to buy are \$25 each. All prices include tax.

29. Which of the following inequalities could be used to determine the maximum number of shirts,  $n$ , Sandy can buy if she also buys 2 pairs of pants?

A.  $12n - 2(25) \leq 100$

**B.  $12n + 2(25) \leq 100$**

C.  $2(25) - 12n \geq 100$

D.  $2(25) + 12n \geq 100$

• spend \$100 or less

$$\$12s + 25p \quad \text{2(25) for 2 pants}$$

$$12n + 50 \leq 100$$